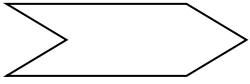
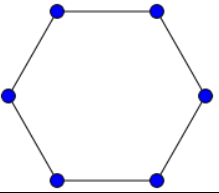
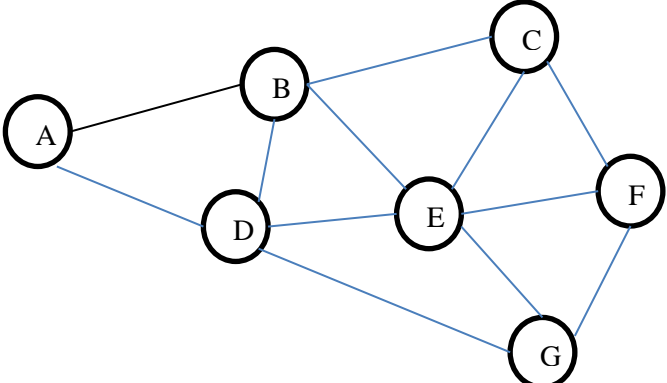
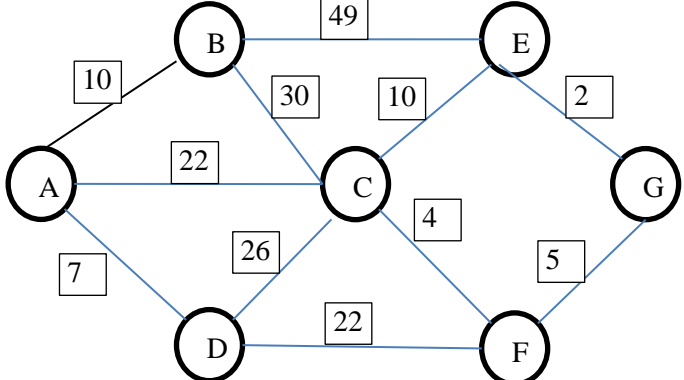
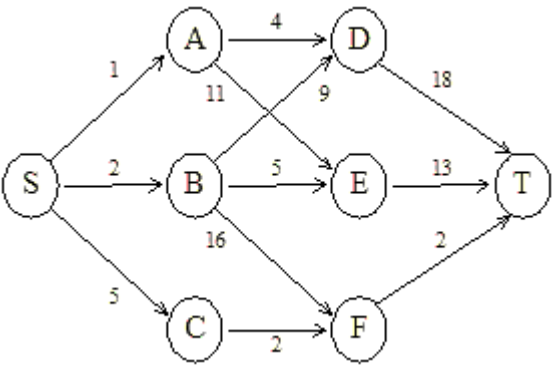


1	<p>In the given graph the maximum distance found between two vertices with the help of BFS will be</p> <p>A) 1      B) 2      C) 3      D) 4</p>							
2	<p>The Given Graph is an example of</p> <p>A) Cycle Graph B) Circular Graph C) Planar Graph D) Bipartite Graph</p>							
3	<p>Consider the following sequences of nodes for the undirected graph given below.</p> <p>A) A B E F D G C B) A B E F C G D C) A D G E B C F D) A D B C G E F</p> <p>A Depth First Search (DFS) is started at node A The nodes are listed in the order they are first visited. Which all of the above is (are) possible output(s)?</p>							
4	<p>Consider the undirected graph. Using Prim's algorithm to construct a minimum spanning tree starting with node A, which one of the following sequences of edges represents a possible order in which the edges would be added to construct the minimum spanning tree?</p> <p>A) (E, G), (C, F), (F, G), (A, D), (A, B), (A, C) B) (A, D), (A, B), (A, C), (C, F), (G, E), (F, G) C) (A, B), (A, D), (D, F), (F, G), (G, E), (F, C) D) (A, D), (A, B), (D, F), (F, C), (F, G), (G, E)</p>							
5		<p>Considering the following graph as a multi stage graph and using Greedy Approach the shortest path is</p> <p>A) 9      B) 23      C) 5      D) 17</p>						
6	<p>Kruskal's algorithm for finding a MST of a weighted graph G with n vertices and m edges has time-complexity of:</p> <p>A. <math>(n^2)</math>      B. <math>(m n)</math>      C. <math>(m + n)</math>      D. <math>(m \log n)</math></p>							
7	<p>21374218592137421      For the given pattern we want to use the Knuth-Morris-Pratt Algorithm of string comparison. What is the width of the widest and the next widest border in the given string.</p> <p>A) 10,7      B) 17,10      C) 5,2      D) 7,2</p>							
8	<p>Identify the worst case example of Boyer Moore String Matching Algorithm.</p> <p>A) T = aaa ... a    P = aaah    B) T = aaa ... a    P = haaa    C) T = aaa ... ah    P = aaa    D) T = haaa ... a    P = aaa</p>							
	1	2	3	4	5	6	7	8